

## Equations

### 5.01 Cooling and Heating Equations

$$
\begin{aligned}
& H_{S}=1.08 \times C F M \times \Delta T \\
& H_{S}=1.1 \times C F M \times \Delta T \\
& H_{L}=0.68 \times C F M \times \Delta W_{G R} . \\
& H_{L}=4840 \times C F M \times \Delta W_{L B} . \\
& H_{T}=4.5 \times C F M \times \Delta h \\
& H_{T}=H_{S}+H_{L} \\
& H=U \times A \times \Delta T \\
& S H R=\frac{H_{S}}{H_{T}}=\frac{H_{S}}{H_{S}+H_{L}} \\
& \text { LB. } S T M / H R=\frac{B T U / H R}{H_{F G}} \\
& \mathrm{H}_{\mathrm{S}} \quad=\text { Sensible Heat (Btu/Hr.) } \\
& \mathrm{H}_{\mathrm{L}} \quad=\text { Latent Heat (Btu/Hr.) } \\
& \mathrm{H}_{\mathrm{T}}=\text { Total Heat (Btu/Hr.) } \\
& \Delta \mathrm{T}=\text { Temperature Difference ( }{ }^{\circ} \mathrm{F} \text {.) } \\
& \Delta \mathrm{W}_{\mathrm{GR}} .=\text { Humidity Ratio Difference (Gr. } \mathrm{H}_{2} \mathrm{O} / \text { Lb.DA) } \\
& \left.\Delta W_{\text {LB. }}=\text { Humidity Ratio Difference (Lb. } \mathrm{H}_{2} \mathrm{O} / \mathrm{Lb} . \mathrm{DA}\right) \\
& \Delta \mathrm{h}=\text { Enthalpy Difference (Btu/Lb.DA) } \\
& \text { CFM }=\text { Air Flow Rate (Cubic Feet per Minute) } \\
& \mathrm{U} \quad=\mathrm{U} \text {-Value (Btu/Hr. Sq. Ft. }{ }^{\circ} \mathrm{F} \text {.) } \\
& \mathrm{A}=\text { Area (Sq. Ft.) } \\
& \text { SHR }=\text { Sensible Heat Ratio } \\
& \mathrm{H}_{\mathrm{FG}}=\text { Latent Heat of Vaporization at Design Pressure (1989 ASHRAE } \\
& \text { Fundamentals) }
\end{aligned}
$$

### 5.02 R-Values/U-Values

$R=\frac{1}{C}=\frac{1}{K} \times$ Thickness
$U=\frac{1}{\Sigma R}$
$\mathrm{R}=\mathrm{R}$-Value (Hr. Sq. Ft. ${ }^{\circ} \mathrm{F} . /$ Btu.)
$\mathrm{U}=\mathrm{U}$-Value (Btu./Hr. Sq. Ft. ${ }^{\circ} \mathrm{F}$.)
$\mathrm{C}=$ Conductance (Btu./Hr. Sq. Ft. ${ }^{\circ} \mathrm{F}$.)
$\mathrm{K}=$ Conductivity (Btu. In./Hr. Sq. Ft. ${ }^{\circ} \mathrm{F}$.)
$\Sigma \mathrm{R}=$ Sum of the Individual R-Values

### 5.03 Water System Equations

| $H=500 \times G P M \times \Delta T$ |  |
| :---: | :---: |
| $G P M_{\text {EVP }}=\underline{T O N S ~} \times 24$ |  |
| GPM ${ }_{\text {EVAP }}=$ | $\Delta T$ |
| $G P M_{C o}=\underline{T O N S ~} \times 30$ |  |
| GPM COND. | $\Delta T$ |
| H | $=$ Total Heat (Btu/Hr.) |
| GPM | $=$ Water Flow Rate (Gallons per Minute) |
| $\Delta \mathrm{T}$ | $=$ Temperature Difference ( ${ }^{\circ} \mathrm{F}$.) |
| TONS | $=$ Air Conditioning Load (Tons) |
| $\mathrm{GPM}_{\text {EVAP }}$ | $=$ Evaporator Water Flow Rate (Gallons per Minute) |
| $\mathrm{GPM}_{\text {COND }}$. | $=$ Condenser Water Flow Rate (Gallons per Minute) |

### 5.04 Air Change Rate Equations

$\frac{A C}{H R}=\frac{C F M \times 60}{V O L U M E}$
$C F M=\frac{\frac{A C}{H R} \times V O L U M E}{60}$
AC/HR. = Air Change Rate per Hour
CFM $\quad=$ Air Flow Rate (Cubic Feet per Minute)
VOLUME $=$ Space Volume (Cubic Feet)

### 5.05 Mixed Air Temperature

$T_{M A}=\left(T_{R O O M} \times \frac{C F M_{R A}}{C F M_{S A}}\right)+\left(T_{O A} \times \frac{C F M_{O A}}{C F M_{S A}}\right)$
$T_{M A}=\left(T_{R A} \times \frac{C F M_{R A}}{C F M_{S A}}\right)+\left(T_{O A} \times \frac{C F M_{O A}}{C F M_{S A}}\right)$
$\mathrm{CFM}_{\text {SA }}=$ Supply Air (CFM)
CFM $_{\text {RA }}=$ Return Air (CFM)
$\mathrm{CFM}_{\text {OA }}=$ Outside Air (CFM)
$\mathrm{T}_{\mathrm{MA}}=$ Mixed Air Temperature $\left({ }^{\circ} \mathrm{F}\right)$
$\mathrm{T}_{\text {Room }}=$ Room Design Temperature ( ${ }^{\circ} \mathrm{F}$ )
$\mathrm{T}_{\mathrm{RA}}=$ Return Air Temperature ( ${ }^{\circ} \mathrm{F}$ )
$\mathrm{T}_{\mathrm{OA}}=$ Outside Air Temperature $\left({ }^{\circ} \mathrm{F}\right)$

### 5.06 Ductwork Equations

$T P=S P+V P$
$V P=\left[\frac{V}{4005}\right]^{2}=\frac{(V)^{2}}{(4005)^{2}}$

$$
\begin{aligned}
& V=\frac{Q}{A}=\frac{Q \times 144}{W \times H} \\
& D_{\mathrm{EQ}}=\frac{1.3 \times(A \times B)^{0.625}}{(A+B)^{0.25}} \\
& \mathrm{TP}=\text { Total Pressure } \\
& \text { SP = Static Pressure, Friction Losses } \\
& \text { VP = Velocity Pressure, Dynamic Losses } \\
& \mathrm{V}=\text { Velocity, Ft./Min. } \\
& \mathrm{Q}=\text { Flow through Duct (CFM) } \\
& \text { A }=\text { Area of Duct (Sq. Ft.) } \\
& \mathrm{W}=\text { Width of Duct (Inches) } \\
& \mathrm{H}=\text { Height of Duct (Inches) } \\
& \mathrm{D}_{\mathrm{EQ}}=\text { Equivalent Round Duct Size for Rectangular Duct (Inches) } \\
& \mathrm{A}=\text { One Dimension of Rectangular Duct (Inches) } \\
& \text { B }=\text { Adjacent Side of Rectangular Duct (Inches) }
\end{aligned}
$$

### 5.07 Fan Laws

$\frac{C F M_{2}}{C F M_{1}}=\frac{R P M_{2}}{R P M_{1}}$
$\frac{S P_{2}}{S P_{1}}=\left[\frac{C F M_{2}}{C F M_{1}}\right]^{2}=\left[\frac{R P M_{2}}{R P M_{1}}\right]^{2}$
$\frac{B H P_{2}}{B H P_{1}}=\left[\frac{C F M_{2}}{C F M_{1}}\right]^{3}=\left[\frac{R P M_{2}}{R P M_{1}}\right]^{3}=\left[\frac{S P_{2}}{S P_{1}}\right]^{1.5}$
$B H P=\frac{C F M \times S P \times S P . G R .}{6356 \times F A N_{\text {EFF. }}}$
$M H P=\frac{B H P}{M / D_{\text {EFF }}}$
CFM $\quad=$ Cubic Feet/Minute
RPM $\quad=$ Revolutions/Minute
$\mathrm{SP} \quad=$ In. W.G.
BHP $\quad=$ Break Horsepower
Fan Size $=$ Constant
Air Density $=$ Constant
SP.GR. (Air) $=1.0$
$\mathrm{FAN}_{\text {EFF }}=65-85 \%$
$\mathrm{M} / \mathrm{D}_{\text {EFF }}=80-95 \%$
M/D $\quad=$ Motor/Drive

### 5.08 Pump Laws

$\frac{G P M_{2}}{G P M_{1}}=\frac{R P M_{2}}{R P M_{1}}$
$\frac{H D_{2}}{H D_{1}}=\left[\frac{G P M_{2}}{G P M_{1}}\right]^{2}=\left[\frac{R P M_{2}}{R P M_{1}}\right]^{2}$

$$
\begin{aligned}
& \frac{B H P_{2}}{B H P_{1}}=\left[\frac{G P M_{2}}{G P M_{1}}\right]^{3}=\left[\frac{R P M_{2}}{R P M_{1}}\right]^{3}=\left[\frac{H D_{2}}{H D_{1}}\right]^{1.5} \\
& B H P=\frac{G P M \times H D \times S P . G R .}{3960 \times P U M P_{\text {EFF }}} \\
& M H P=\frac{B H P}{M / D_{E F F}} \\
& V H=\frac{V^{2}}{2 g} \\
& H D=\frac{P \times 2.31}{S P . G R .} \\
& \text { GPM }=\text { Gallons/Minute } \\
& \text { RPM }=\text { Revolutions/Minute } \\
& \mathrm{HD}=\mathrm{Ft} . \mathrm{H}_{2} \mathrm{O} \\
& \text { BHP } \quad=\text { Break Horsepower } \\
& \text { Pump Size }=\text { Constant } \\
& \text { Water Density }=\text { Constant } \\
& \text { SP.GR. }=\text { Specific Gravity of Liquid with Respect to Water } \\
& \text { SP.GR. (Water) }=1.0 \\
& \text { PUMP }_{\text {EFF }}=60-80 \% \\
& \mathrm{M} / \mathrm{D}_{\mathrm{EFF}} \quad=85-95 \% \\
& \text { M/D } \quad=\text { Motor/Drive } \\
& \mathrm{P} \quad=\text { Pressure in Psi } \\
& \text { VH } \quad=\text { Velocity Head in Ft. } \\
& \mathrm{V} \quad=\text { Velocity in Ft./Sec. } \\
& \mathrm{g} \quad=\text { Acceleration due to Gravity (32.16 Ft./Sec }{ }^{2} \text { ) }
\end{aligned}
$$

### 5.09 Pump Net Positive Suction Head (NPSH) Calculations

$\mathrm{NPSH}_{\text {AVAIL }}>$ NPSH $_{\text {REQ }{ }^{\prime} D}$
$N P S H_{A V A L}=H_{A} \pm H_{S}-H_{F}-H_{V P}$
$\mathrm{NPSH}_{\text {AVAIL }}=$ Net Positive Suction Available at Pump (Feet)
$\mathrm{NPSH}_{\text {REQ'D }}=$ Net Positive Suction Required at Pump (Feet)
$\mathrm{H}_{\mathrm{A}} \quad=$ Pressure at Liquid Surface (Feet—34 Feet for Water at Atmospheric Pressure)
$\mathrm{H}_{\mathrm{S}} \quad=$ Height of Liquid Surface Above (+) or Below (-) Pump (Feet)
$\mathrm{H}_{\mathrm{F}} \quad=$ Friction Loss between Pump and Source (Feet)
$\mathrm{H}_{\mathrm{VP}} \quad=$ Absolute Pressure of Water Vapor at Liquid Temperature (Feet—1989 ASHRAE Fundamentals)

### 5.10 Air Conditioning Condensate

$G P M_{A C \text { COND }}=\frac{C F M \times \Delta W_{L B}}{S p V \times 8.33}$
$G P M_{A C \text { COND }}=\frac{C F M \times \Delta W_{G R .}}{S p V \times 8.33 \times 7000}$

```
GPM 
CFM = Air Flow Rate (Cu.Ft./Minute)
SpV = Specific Volume of Air (Cu.Ft./Lb.DA)
\DeltaW WB. = Specific Humidity (Lb.H2O/Lb.DA)
\DeltaW Wr. }==\mathrm{ Specific Humidity (Gr.H2O/Lb.DA)
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### 5.11 Humidification

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GRAINS \(_{\text {REQ'D }}=\left(\frac{W_{G R .}}{S p V}\right)_{\text {ROOM AIR }}-\left(\frac{W_{G R .}}{S p V}\right)_{\text {SUPPIY AIR }}\)
POUNDS \(S_{\text {REQ'D }^{\prime} D}=\left(\frac{W_{L B .}}{S p V}\right)_{\text {ROOM AIR }}-\left(\frac{W_{L B}}{S p V}\right)_{\text {SUPPIY AIR }}\)
LB. \(S T M / H R=\frac{C F M \times \text { GRAINS }_{\text {REQ }^{\prime} D} \times 60}{7000}=C F M \times\) POUNDS \(_{\text {REQ }}\). \(\times 60\)
GRAINS \(_{\text {REQ'D }}=\) Grains of Moisture Required ( \({\left.\mathrm{Gr} . \mathrm{H}_{2} \mathrm{O} / \mathrm{Cu} . \mathrm{Ft} .\right) ~}_{\text {. }}\)
POUNDS \(_{\text {REQ'D }}=\) Pounds of Moisture Required (Lb. \(\mathrm{H}_{2} \mathrm{O} / \mathrm{Cu} . \mathrm{Ft}\).)
CFM \(\quad=\) Air Flow Rate (Cu.Ft./Minute)
\(\mathrm{SpV} \quad=\) Specific Volume of Air (Cu.Ft./Lb.DA)
\(\mathrm{W}_{\text {GR. }} \quad=\) Specific Humidity \(\left(\mathrm{Gr} . \mathrm{H}_{2} \mathrm{O} /\right.\) Lb.DA \()\)
\(\mathrm{W}_{\text {LB. }} \quad=\) Specific Humidity \(\left(\right.\) Lb. \(\mathrm{H}_{2} \mathrm{O} /\) Lb.DA \()\)
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### 5.12 Humidifier Sensible Heat Gain

$H_{S}=(0.244 \times Q \times \Delta \mathrm{T})+(L \times 380)$
$H_{S}=$ Sensible Heat Gain (Btu/Hr.)
$\mathrm{Q}=$ Steam Flow (Lb.Steam/Hr.)
$\Delta \mathrm{T}=$ Steam Temperature - Supply Air Temperature (F.)
$\mathrm{L}=$ Length of Humidifier Manifold (Ft.)

### 5.13 Expansion Tanks

CLOSED $V_{T}=V_{S} \times \frac{\left[\left(\frac{v_{2}}{v_{1}}\right)-1\right]-3 \alpha \Delta T}{\left[\frac{P_{A}}{P_{1}}-\frac{P_{A}}{P_{2}}\right]}$
OPEN $\quad V_{T}=2 \times\left\{\left(V_{S} \times\left[\left(\frac{\nu_{2}}{v_{1}}\right)-1\right]\right)-3 \alpha \Delta T\right\}$
DIAPHRAGM $\quad V_{T}=V_{S} \times \frac{\left[\left(\frac{\nu_{2}}{v_{1}}\right)-1\right]-3 \alpha \Delta T}{1-\left(\frac{P_{1}}{P_{2}}\right)}$


### 5.14 Air Balance Equations

SA $=$ Supply Air
RA $=$ Return Air
$\mathrm{OA}=$ Outside Air
EA $=$ Exhaust Air
RFA $=$ Relief Air
$S A=R A+O A=R A+E A+R F A$
If minimum $O A$ (ventilation air) is greater than $E A$, then
$O A=E A+R F A$
If EA is greater than minimum OA (ventilation air), then
$O A=E A \quad R F A=0$
For Economizer Cycle

$$
O A=S A=E A+R F A \quad R A=0
$$

### 5.15 Efficiencies

$C O P=\frac{B T U \text { OUTPUT }}{\text { BTU INPUT }}=\frac{E E R}{3.413}$
$E E R=\frac{\text { BTU OUTPUT }}{\text { WATTS INPUT }}$
Turndown Ratio = Maximum Firing Rate: Minimum Firing Rate (i.e., 5:1, 10:1, 25:1)

OVERALL THERMAL EFF. $=\frac{\text { GROSS BTU OUTPUT }}{\text { GROSS BTU INPUT }} \times 100 \%$
COMBUSTION EFF. $=\frac{B T U \text { INPUT }- \text { BTU STACK LOSS }}{B T U ~ I N P U T ~} \times 100 \%$
Overall Thermal Efficiency Range 75\%-90\%
Combustion Efficiency Range 85\%-95\%

### 5.16 Cooling Towers and Heat Exchangers

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APPROACH CTT'S
APPROACH HES'S}=\mp@subsup{\textrm{EWT}}{\textrm{HS}}{}-\mp@subsup{\textrm{LWT}}{\textrm{CS}}{
RANGE = EWT - LWT
EWT = Entering Water Temperature ( }\mp@subsup{}{}{\circ}\textrm{F}\mathrm{ )
LWT = Leaving Water Temperature ( }\mp@subsup{}{}{\circ}\textrm{F}
AWB = Ambient Wet Bulb Temperature (Design WB, '}\mp@subsup{}{}{\circ}\textrm{F}
HS = Hot Side
CS = Cold Side
```


### 5.17 Moisture Condensation on Glass

$T_{G L A S S}=T_{\text {ROOM }}-\left[\frac{R_{\text {IA }}}{R_{\text {GLASS }}} \times\left(T_{\text {ROOM }}-T_{\text {OA }}\right)\right]$
$T_{G L A S S}=T_{\text {ROOM }}-\left[\frac{U_{\text {GLASS }}}{U_{\text {IA }}} \times\left(T_{\text {ROOM }}-T_{\text {OA }}\right)\right]$
If $T_{\text {GLASS }}<D P_{\text {ROOM }}$ Condensation Occurs
$\mathrm{T}=$ Temperature ( ${ }^{\circ} \mathrm{F}$.)
$\mathrm{R}=\mathrm{R}$-Value (Hr. Sq.Ft. ${ }^{\circ} \mathrm{F} . /$ Btu.)
$\mathrm{U}=\mathrm{U}$-Value (Btu./Hr. Sq.Ft. ${ }^{\circ} \mathrm{F}$.)
IA $=$ Inside Airfilm
OA $=$ Design Outside Air Temperature
DP = Dew Point

### 5.18 Electricity

$K V A=K W+K V A R$
KVA $=$ Total Power (Kilovolt Amps)

```
Equations
KW = Real Power, Electrical Energy (Kilowatts)
KVAR \(=\) Reactive Power or "Imaginary" Power (Kilovolt Amps Reactive)
\(\mathrm{V}=\) Voltage (Volts)
\(\mathrm{A}=\) Current (Amps)
\(\mathrm{PF}=\) Power Factor (0.75-0.95)
\(\mathrm{BHP}=\) Break Horsepower
MHP \(=\) Motor Horsepower
\(\mathrm{EFF}=\) Efficiency
\(\mathrm{M} / \mathrm{D}=\) Motor Drive
```


## A. Single Phase Power:

$K W_{1 \phi}=\frac{V \times A \times P F}{1000}$
$K V A_{1 \phi}=\frac{V \times A}{1000}$
$B H P_{1 \phi}=\frac{V \times A \times P F \times D E V I C E_{E F F}}{746}$
$M H P_{1 \phi}=\frac{B H P_{1 \phi}}{M / D_{E F F}}$
B. 3-Phase Power:
$K W_{3 \phi}=\frac{\sqrt{3} \times V \times A \times P F}{1000}$
$K V A_{3 \phi}=\frac{\sqrt{3} \times V \times A}{1000}$
$B H P_{3 \phi}=\frac{\sqrt{3} \times V \times A \times P F \times D E V I C E_{E F F}}{746}$
$M H P_{3 \phi}=\frac{B H P_{3 \phi}}{M / D_{E F F}}$

### 5.19 Calculating Heating Loads for Loading Docks, Heavily Used Vestibules and Similar Spaces.

A. Find volume of space to be heated (Cu.Ft.).
B. Determine acceptable warm-up time for space (Min.).
C. Divide volume by time (CFM).
D. Determine inside and outside design temperatures-assume inside space temperature has dropped to the outside design temperature because doors have been open for an extended period of time.
E. Use sensible heat equation to determine heating requirement using CFM and inside and outside design temperatures determined above.

### 5.20 Ventilation of Mechanical Rooms with Refrigeration Equipment

A. For a more detailed description of ventilation requirements for mechanical rooms with refrigeration equipment see ASHRAE Standard 15 and Part 9, Ventilation Rules of Thumb.
B. Completely Enclosed Equipment Rooms:

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\(C F M=100 \times G^{0.5}\)
CFM \(=\) Exhaust Air Flow Rate Required (Cu.Ft./Minute)
G \(=\) Mass of Refrigerant of Largest System (Pounds)
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C. Partially Enclosed Equipment Rooms:

```
FA= G 0.5
FA = Ventilation Free Opening Area (Sq.Ft.)
G = Mass of Refrigerant of Largest System (Pounds)
```


### 5.21 Equations for Flat Oval Ductwork



MAJOR AXIS
$F S=M A J O R-M I N O R$
$A=\frac{(F S \times M I N O R)+\frac{\left(\pi \times M I N O R^{2}\right)}{4}}{144}$
$P=\frac{(\pi \times M I N O R)+(2 \times F S)}{12}$
$D_{\mathrm{EQ}}=\frac{1.55 \times(A)^{0.625}}{(P)^{0.25}}$

| FS | $=$ Flat Span Dimension (Inches) |
| :--- | :--- |
| MAJOR | $=$ Major Axis Dimension [Inches (Larger Dimension)] |
| MINOR | $=$ Minor Axis Dimension [Inches (Smaller Dimension)] |
| A | $=$ Cross-Sectional Area (Square Feet) |
| P | $=$ Perimeter or Surface Area (Square Feet per Lineal Feet) |
| $\mathrm{D}_{\mathrm{EQ}}$ | $=$ Equivalent Round Duct Diameter |

### 5.22 Pipe Expansion Equations

## A. L-Bends:



L-Bends
$L=6.225 \times \sqrt{\Delta D}$
$F=500$ LB./PIPE DIA. $\times$ PIPE DIA.
L $=$ Length of Leg Required to Accommodate Thermal Expansion or Contraction (Feet)
$\Delta=$ Thermal Expansion or Contraction of Long Leg (Inches)
$\mathrm{D}=$ Pipe Outside Diameter (Inches)
F = Force Exerted by Pipe Expansion or Contraction on Anchors and Supports (Lbs.)
See Tables in Part 32, Appendix D

## B. Z-Bends:


$L=4 \times \sqrt{\Delta D}$
$F=200-500$ LB./PIPE DIA. $\times$ PIPE DIA.

L = Length of Offset Leg Required to Accommodate Thermal Expansion or Contraction (Feet)
$\Delta=$ Anchor to Anchor Expansion or Contraction (Inches)
D = Pipe Outside Diameter (Inches)
F = Force Exerted by Pipe Expansion or Contraction on Anchors and Supports (Lbs.)
See Tables in Part 32, Appendix D.
C. U-Bends or Expansion Loops:

$L=6.225 \times \sqrt{\Delta D}$
$F=200$ LB./PIPE DIA. $\times$ PIPE DIA.
$L=2 H+W$
$H=2 W$
$L=5 \mathrm{~W}$
$\mathrm{L}=$ Length of Loop Required to Accommodate Thermal Expansion or Contraction (Feet)
$\Delta=$ Anchor to Anchor Expansion or Contraction (Inches)
D $=$ Pipe Outside Diameter (Inches)
F = Force Exerted by Pipe Expansion or Contraction on Anchors and Supports (Lbs.)
See Tables in Part 32, Appendix D.

### 5.23 Steam and Condensate Equations

## A. General:

LBS. STM./HR. $=\frac{B T U / H R .}{960}$
LB. STM. COND./HR. $=\frac{E D R}{4}$
$E D R=\frac{B T U / H R .}{240}$
LB. STM. COND./HR. $=\frac{G P M \times 500 \times S P . G R . \times C_{P} \times \Delta T}{L}$
LB. $S T M$. COND. $/ H R .=\frac{C F M \times 60 \times D \times C_{P} \times \Delta T}{L}$

## B. Approximating Condensate Loads:

LB. STM. COND./HR. $=\frac{G P M(W A T E R) \times \Delta T}{2}$
LB. STM. COND./HR. $=\frac{G P M(F U E L ~ O I L) \times \Delta T}{4}$
LB. STM. COND./HR. $=\frac{C F M(A I R) \times \Delta T}{900}$
STM. $=$ Steam
GPM $=$ Quantity of Liquid (Gallons per Minute)
CFM $=$ Quantity of Gas or Air (Cubic Feet per Minute)
SP.GR. = Specific Gravity
$\mathrm{D}=$ Density (Lbs./Cubic Feet)
$\mathrm{C}_{\mathrm{P}} \quad=$ Specific Heat of Gas or Liquid (Btu/Lb)
Air $\quad \mathrm{C}_{\mathrm{P}}=0.24 \mathrm{Btu} / \mathrm{Lb}$
Water $\mathrm{C}_{\mathrm{P}}=1.00 \mathrm{Btu} / \mathrm{Lb}$
$\mathrm{L}=$ Latent Heat of Steam (Btu/Lb. at Steam Design Pressure)
$\Delta \mathrm{T}=$ Final Temperature minus Initial Temperature
EDR $=$ Equivalent Direct Radiation

### 5.24 Steam and Steam Condensate Pipe Sizing Equations

## A. Steam Pipe Sizing Equations:

$\Delta P=\frac{(0.01306) \times W^{2} \times\left(1+\frac{3.6}{I D}\right)}{3600 \times D \times I D^{5}}$
$W=60 \times \sqrt{\frac{\Delta P \times D \times I D^{5}}{0.01306 \times\left(1+\frac{3.6}{I D}\right)}}$
$W=0.41667 \times V \times A_{\text {INCHES }} \times D=60 \times V \times A_{\text {FEET }} \times D$
$V=\frac{2.4 \times W}{A_{\text {INCHES }} \times D}=\frac{W}{60 \times A_{\text {FEET }} \times D}$
$\Delta \mathrm{P} \quad$ Pressure Drop per 100 Feet of Pipe (Psig/100 feet)
W Steam Flow Rate (Lbs./Hour)
ID Actual Inside Diameter of Pipe (Inches)
D Average Density of Steam at System Pressure (Lbs./Cu. Ft.)
V Velocity of Steam in Pipe (Feet/Minute)
$\mathrm{A}_{\text {INChes }} \quad$ Actual Cross Sectional Area of Pipe (Square Inches)
A feet $\quad$ Actual Cross Sectional Area of Pipe (Square Feet)

## B. Steam Condensate Pipe Sizing Equations:

$F S=\frac{H_{S_{S S}}-H_{S_{C R}}}{H_{L_{C R}}} \times 100$
$W_{C R}=\frac{F S}{100} \times W$

## FS Flash Steam (Percentage \%)

$\mathrm{H}_{\text {sss }} \quad$ Sensible Heat at Steam Supply Pressure (Btu/Lb.)
$\mathrm{H}_{\mathrm{SCR}} \quad$ Sensible Heat at Condensate Return Pressure (Btu/Lb.)
$\mathrm{H}_{\mathrm{LCR}} \quad$ Latent Heat at Condensate Return Pressure (Btu/Lb.)
W Steam Flow Rate (Lbs./Hr.)
$\mathrm{W}_{\mathrm{CR}}$ Condensate Flow based on percentage of Flash Steam created during condensing process (Lbs./Hr.). Use this flow rate in steam equations above to determine condensate return pipe size.

### 5.25 Psychrometric Equations

$$
\begin{aligned}
& W=0.622 \times \frac{P_{W}}{P-P_{W}} \\
& R H=\frac{W_{A C T U A L}}{W_{\text {SAT }}} \times 100 \% \\
& R H=\frac{P_{W}}{P_{S A T}} \times 100 \% \\
& H_{S}=m \times c_{P} \times \Delta T \\
& H_{L}=L_{V} \times m \times \Delta W \\
& H_{T}=m \times \Delta h \\
& W=\frac{\left(2501-2.381 T_{W B}\right)\left(W_{S A T}{ }_{W B}\right)-\left(T_{D B}-T_{W B}\right)}{\left(2501+1.805 T_{D B}-4.186 T_{W B}\right)} \\
& W=\frac{\left(1093-0.556 T_{W B}\right)\left(W_{S A T W B}\right)-(0.240)\left(T_{D B}-T_{W B}\right)}{\left(1093+0.444 T_{D B}-T_{W B}\right)} \\
& \left.\mathrm{W} \quad=\text { Specific Humidity (Lb. } \mathrm{H}_{2} \mathrm{O} / \text { Lb.DA or } \mathrm{Gr}^{2} \mathrm{H}_{2} \mathrm{O} / \text { Lb.DA }\right) \\
& \mathrm{W}_{\text {ACtual }}=\text { Actual Specific Humidity (Lb. } \mathrm{H}_{2} \mathrm{O} / \text { Lb.DA or } \mathrm{Gr}^{2} \mathrm{H}_{2} \mathrm{O} / \mathrm{Lb} . D A \text { ) } \\
& \mathrm{W}_{\text {SAT }}=\text { Saturation Specific Humidity at the Dry Bulb Temperature } \\
& \mathrm{W}_{\text {SAT Wb }}=\text { Saturation Specific Humidity at the Wet Bulb Temperature } \\
& \mathrm{P}_{\mathrm{w}} \quad=\text { Partial Pressure of Water Vapor (Lb./Sq.Ft.) } \\
& \text { P } \quad=\text { Total Absolute Pressure of Air/Water Vapor Mixture (Lb./Sq.Ft.) } \\
& \mathrm{P}_{\text {SAT }}=\text { Saturation Partial Pressure of Water Vapor at the Dry Bulb Temperature } \\
& \text { (Lb./Sq.Ft.) } \\
& \text { RH }=\text { Relative Humidity (\%) } \\
& \mathrm{H}_{\mathrm{S}} \quad=\text { Sensible Heat (Btu/Hr.) } \\
& \mathrm{H}_{\mathrm{L}} \quad=\text { Latent Heat (Btu/Hr.) } \\
& \mathrm{H}_{\mathrm{T}} \quad=\text { Total Heat (Btu/Hr.) } \\
& \mathrm{m} \quad=\text { Mass Flow Rate (Lb.DA/Hr. or Lb. } \mathrm{H}_{2} \mathrm{O} / \mathrm{Hr} \text {.) } \\
& c_{\mathrm{P}} \quad=\text { Specific Heat (Air: 0.24 Btu/Lb.DA, Water: } 1.0 \text { Btu/Lb. } \mathrm{H}_{2} \mathrm{O} \text { ) } \\
& \mathrm{T}_{\mathrm{DB}} \quad=\text { Dry Bulb Temperature ( }{ }^{\circ} \mathrm{F} \text {.) } \\
& \mathrm{T}_{\mathrm{WB}} \quad=\text { Wet Bulb Temperature ( }{ }^{\circ} \mathrm{F} \text {.) } \\
& \Delta \mathrm{T} \quad=\text { Temperature Difference ( }{ }^{\circ} \mathrm{F} \text {.) } \\
& \Delta \mathrm{W}=\text { Specific Humidity Difference (Lb. } \mathrm{H}_{2} \mathrm{O} / \text { Lb.DA or Gr. } \mathrm{H}_{2} \mathrm{O} / \text { Lb.DA) } \\
& \Delta \mathrm{h} \quad=\text { Enthalpy Difference (Btu/Lb.DA) } \\
& \mathrm{L}_{\mathrm{V}} \quad=\text { Latent Heat of Vaporization (Btu/Lb. } \mathrm{H}_{2} \mathrm{O} \text { ) }
\end{aligned}
$$

### 5.26 Swimming Pools

## A. Sizing Outdoor Pool Heater:

1. Determine pool capacity in gallons. Obtain from Architect if available.

Length $\times$ Width $\times$ Depth $\times 7.5 \mathrm{Gal} / \mathrm{Cu}$.Ft. (If depth is not known assume an average depth 5.5 Feet)
2. Determine heat pick-up time in hours from Owner.
3. Determine pool water temperature in degrees F. from the Owner. If Owner does not specify assume $80^{\circ} \mathrm{F}$.
4. Determine the average air temperature on the coldest month in which the pool will be used.
5. Determine the average wind velocity in miles per hour. For pools less than 900 square feet and where the pool is sheltered by nearby buildings, fences, shrubs, etc., from the prevailing wind an average wind velocity of less than 3.5 mph may be assumed. The surface heat loss factor of $5.5 \mathrm{Btu} / \mathrm{Hr} / \mathrm{Sq} . \mathrm{Ft} .{ }^{\circ} \mathrm{F}$. in the equation below assumes a wind velocity of 3.5 mph . If a wind velocity of less than 3.5 mph is used, multiply equation by 0.75 ; for 5.0 mph multiply equation by 1.25 ; and for 10 mph multiply equation by 2.0 .
6. Pool Heater Equations:
$H_{\text {POOL HEATER }}=H_{\text {HEAT-UP }}+H_{\text {SURFACE LOSS }}$
$H_{\text {HEAT-UP }}=\frac{\text { GALS. } \times 8.34 \text { LBS. } / \text { GAL. } \times \Delta T_{\text {WATER }} \times 1.0 \text { BTU } / L B .{ }^{\circ} \mathrm{F} .}{\text { HEAT PICK }- \text { UP TIME }}$
$H_{\text {SURFACE LOSS }}=5.5$ BTU/HR. SQ. FT. ${ }^{\circ} \mathrm{F} . \times \Delta T_{\text {WATER/AIR }} \times$ POOL AREA
$\Delta T_{\text {WATER }}=T_{\text {FINAL }}-T_{\text {INITIAL }}$
$T_{\text {FINAL }}=$ POOL WATER TEMPERATURE
$T_{\text {INITIAL }}=50^{\circ} \mathrm{F}$
$\Delta T_{\text {WATER/AIR }}=T_{\text {FINAL }}-T_{\text {AVERAGE AIR }}$
$\mathrm{H}=$ Heating Capacity (Btu/Hr.)
$\Delta \mathrm{T}=$ Temperature Difference $\left({ }^{\circ} \mathrm{F}\right.$.)

### 5.27 Domestic Water Heater Sizing

$H_{\text {OUTPUT }}=G P H \times 8.34$ LBS. $/ G A L . \times \Delta T \times 1.0$
$H_{I N P U T}=\frac{G P H \times 8.34 \text { LBS. } / \text { GAL. } \times \Delta T}{\% \text { EFFICIENCY }}$
$G P H=\frac{H_{\text {INPUT }} \times \% \text { EFFICIENCY }}{\Delta T \times 8.34 \text { LBS. } / G A L .}=\frac{K W \times 3413 \text { BTU } / K W}{\Delta T \times 8.34 L B S . / G A L}$.
$\Delta T=\frac{H_{\text {INPUT }} \times \% \text { EFFICIENCY }}{G P H \times 8.34 L B S . / G A L .}=\frac{K W \times 3413 \text { BTU } / K W}{G P H \times 8.34 L B S . / G A L}$.
$K W=\frac{G P H \times 8.34 L B S . / G A L . \times \Delta T \times 1.0}{3413 B T U / K W}$
$\%$ COLD WATER $=\frac{T_{\text {HOT }}-T_{\text {MIX }}}{T_{\text {HOT }}-T_{\text {COLD }}}$
$\%$ HOT WATER $=\frac{T_{M I X}-T_{\text {COLD }}}{T_{\text {HOT }}-T_{\text {COLD }}}$

| $\mathrm{H}_{\text {OUTPUT }}$ | $=$ Heating Capacity, Output |
| :--- | :--- |
| $\mathrm{H}_{\text {INPUT }}$ | $=$ Heating Capacity, Input |
| GPH | $=$ Recovery Rate (Gallons per Hour) |
| $\Delta \mathrm{T}$ | $=$ Temperature Rise $\left({ }^{\circ} \mathrm{F}.\right)$ |
| KW | $=$ Kilowatts |
| $\mathrm{T}_{\text {COLD }}$ | $=$ Temperature, Cold Water $\left({ }^{\circ} \mathrm{F}.\right)$ |
| $\mathrm{T}_{\mathrm{HOT}}$ | $=$ Temperature, Hot Water $\left({ }^{\circ} \mathrm{F}\right)$ |
| $\mathrm{T}_{\text {MIX }}$ | $=$ Temperature, Mixed Water $\left({ }^{\circ} \mathrm{F}.\right)$ |

### 5.28 Domestic Hot Water Recirculation Pump/Supply Sizing

A. Determine the approximate total length of all hot water supply and return piping.
B. Multiply this total length by $30 \mathrm{Btu} / \mathrm{Ft}$. for insulated pipe and $60 \mathrm{Btu} / \mathrm{Ft}$. for uninsulated pipe to obtain the approximate heat loss.
C. Divide the total heat loss by $\mathbf{1 0 , 0 0 0}$ to obtain the total pump capacity in GPM.
D. Select a circulating pump to provide the total required GPM and obtain the head created at this flow.
E. Multiply the head by 100 and divide by the total length of the longest run of the hot water return piping to determine the allowable friction loss per 100 feet of pipe.
F. Determine the required GPM in each circulating loop and size the hot water return pipe based on this GPM and the allowable friction loss as determined above.

### 5.29 Relief Valve Vent Line Maximum Length

$L=\frac{9 \times P_{1}{ }^{2} \times D^{5}}{C^{2}}=\frac{9 \times P_{2}{ }^{2} \times D^{5}}{16 \times C^{2}}$
$P_{1}=0.25 \times[($ PRESSURE SETTING $\times 1.1)+14.7]$
$P_{2}=[($ PRESSURE SETTING $\times 1.1)+14.7]$
$\mathrm{L}=$ Maximum Length of Relief Vent Line (Feet)
$\mathrm{D}=$ Inside Diameter of Pipe (Inches)
$\mathrm{C}=$ Minimum Discharge of Air (Lbs./Min.)

### 5.30 Relief Valve Sizing

## A. Liquid System Relief Valves and Spring Style Relief Valves:

$A=\frac{G P M \times \sqrt{G}}{28.14 \times K_{B} \times K_{V} \times \sqrt{\Delta P}}$
B. Liquid System Relief Valves and Pilot Operated Relief Valves:
$A=\frac{G P M \times \sqrt{G}}{36.81 \times K_{V} \times \sqrt{\Delta P}}$

## C. Steam System Relief Valves:

$$
A=\frac{W}{51.5 \times K \times P \times K_{S H} \times K_{N} \times K_{B}}
$$

D. Gas and Vapor System Relief Valves (Lb./Hr.):
$A=\frac{W \times \sqrt{T Z}}{C \times K \times P \times K_{B} \times \sqrt{M}}$
E. Gas and Vapor System Relief Valves (SCFM):
$A=\frac{S C F M \times \sqrt{T G Z}}{1.175 \times C \times K \times P \times K_{B}}$

## F. Relief Valve Equation Definitions:

1. A $=$ Minimum Required Effective Relief Valve Discharge Area (Square Inches)
2. GPM $=$ Required Relieving Capacity at Flow Conditions (Gallons per Minute)
3. $\mathrm{W}=$ Required Relieving Capacity at Flow Conditions (Lbs./Hr.)
4. SCFM $=$ Required Relieving Capacity at Flow Conditions (Standard Cubic Feet per Minute)
5. G = Specific Gravity of Liquid, Gas, or Vapor at Flow Conditions Water $=1.0$ for most HVAC Applications Air $=1.0$
6. C $=$ Coefficient Determined from Expression of Ratio of Specific Heats C $=315$ if Value is Unknown
7. $\mathrm{K}=$ Effective Coefficient of Discharge $\mathrm{K}=0.975$
8. $K_{B}=$ Capacity Correction Factor Due to Back Pressure $\mathrm{K}_{\mathrm{B}}=1.0$ for Atmospheric Discharge Systems
9. $K_{V}=$ Flow Correction Factor Due to Viscosity $\mathrm{K}_{\mathrm{V}}=0.9$ to 1.0 for most HVAC Applications with Water
10. $\mathrm{K}_{\mathrm{N}}=$ Capacity Correction Factor for Dry Saturated Steam at Set Pressures above 1500 Psia and up to 3200 Psia $\mathrm{K}_{\mathrm{N}}=1.0$ for most HVAC Applications
11. $\mathrm{K}_{\mathrm{SH}}=$ Capacity Correction Factor Due to the Degree of Superheat $\mathrm{K}_{\text {SH }}=1.0$ for Saturated Steam
12. $\mathrm{Z}=$ Compressibility Factor $\mathrm{Z}=1.0$ If Value is Unknown
13. $\mathrm{P}=$ Relieving Pressure (Psia) P = Set Pressure (Psig) + Over Pressure (10\% Psig) + Atmospheric Pressure (14.7 Psia)
14. $\Delta \mathrm{P}=$ Differential Pressure (Psig) $\Delta \mathrm{P}=$ Set Pressure (Psig) + Over Pressure ( $10 \%$ Psig) - Back Pressure (Psig)
15. $\mathrm{T}=$ Absolute Temperature $\left({ }^{\circ} \mathrm{R}={ }^{\circ} \mathrm{F} .+460\right)$
16. $\mathrm{M}=$ Molecular Weight of the Gas or Vapor

## G. Relief Valve Sizing Notes:

1. When multiple relief valves are used, one valve shall be set at or below the maximum allowable working pressure, and the remaining valves may be set up to 5 percent over the maximum allowable working pressure.
2. When sizing multiple relief valves, the total area required is calculated on an overpressure of 16 percent or 4 Psi , whichever is greater.
3. For superheated steam, the correction factor values listed below may be used:
a. Superheat up to $400^{\circ} \mathrm{F}$.: 0.97 (Range 0.979-0.998)
b. Superheat up to $450^{\circ} \mathrm{F}$.: $\quad 0.95$ (Range 0.957-0.977)
c. Superheat up to $500^{\circ} \mathrm{F}$.: $\quad 0.93$ (Range 0.930-0.968)

| GAS OR VAPOR | MOLECULAR WEIGHT | RATIO OF SPECIFIC HEATS | $\begin{gathered} \hline \hline \text { COEFFICIENT } \\ \mathrm{C} \end{gathered}$ | SPECIFIC GRAVITY |
| :---: | :---: | :---: | :---: | :---: |
| Acetylene | 26.04 | 1.25 | 342 | 0.899 |
| Air | 28.97 | 1.40 | 356 | 1.000 |
| Ammonia (R-717) | 17.03 | 1.30 | 347 | 0.588 |
| Argon | 39.94 | 1.66 | 377 | 1.379 |
| Benzene | 78.11 | 1.12 | 329 | 2.696 |
| N-Butane | 58.12 | 1.18 | 335 | 2.006 |
| Iso-Butane | 58.12 | 1.19 | 336 | 2.006 |
| Carbon Dioxide | 44.01 | 1.29 | 346 | 1.519 |
| Carbon Disulphide | 76.13 | 1.21 | 338 | 2.628 |
| Carbon Monoxide | 28.01 | 1.40 | 356 | 0.967 |
| Chlorine | 70.90 | 1.35 | 352 | 2.447 |
| Cyclohexane | 84.16 | 1.08 | 325 | 2.905 |
| Ethane | 30.07 | 1.19 | 336 | 1.038 |
| Ethyl Alcohol | 46.07 | 1.13 | 330 | 1.590 |
| Ethyl Chloride | 64.52 | 1.19 | 336 | 2.227 |
| Ethylene | 28.03 | 1.24 | 341 | 0.968 |
| Helium | 4.02 | 1.66 | 377 | 0.139 |
| N-Heptane | 100.20 | 1.05 | 321 | 3.459 |
| Hexane | 86.17 | 1.06 | 322 | 2.974 |
| Hydrochloric Acid | 36.47 | 1.41 | 357 | 1.259 |
| Hydrogen | 2.02 | 1.41 | 357 | 0.070 |
| Hydrogen Chloride | 36.47 | 1.41 | 357 | 1.259 |
| Hydrogen Sulphide | 34.08 | 1.32 | 349 | 1.176 |
| Methane | 16.04 | 1.31 | 348 | 0.554 |
| Methyl Alcohol | 32.04 | 1.20 | 337 | 1.106 |
| Methyl Butane | 72.15 | 1.08 | 325 | 2.491 |
| Methyl Chloride | 50.49 | 1.20 | 337 | 1.743 |
| Natural Gas | 19.00 | 1.27 | 344 | 0.656 |
| Nitric Oxide | 30.00 | 1.40 | 356 | 1.036 |
| Nitrogen | 28.02 | 1.40 | 356 | 0.967 |
| Nitrous Oxide | 44.02 | 1.31 | 348 | 1.520 |
| N-Octane | 114.22 | 1.05 | 321 | 3.943 |
| Oxygen | 32.00 | 1.40 | 356 | 1.105 |
| N -Pentane | 72.15 | 1.08 | 325 | 2.491 |
| Iso-Pentane | 72.15 | 1.08 | 325 | 2.491 |
| Propane | 44.09 | 1.13 | 330 | 1.522 |
| R-11 | 137.37 | 1.14 | 331 | 4.742 |
| R-12 | 120.92 | 1.14 | 331 | 4.174 |
| R-22 | 86.48 | 1.18 | 335 | 2.985 |
| R-114 | 170.93 | 1.09 | 326 | 5.900 |
| R-123 | 152.93 | 1.10 | 327 | 5.279 |
| R-134a | 102.03 | 1.20 | 337 | 3.522 |
| Sulfur Dioxide | 64.04 | 1.27 | 344 | 2.211 |
| Toluene | 92.13 | 1.09 | 326 | 3.180 |

d. Superheat up to $550^{\circ} \mathrm{F}$.: $\quad 0.90$ (Range 0.905-0.974)
e. Superheat up to $600^{\circ} \mathrm{F}$.: $\quad 0.88$ (Range $0.882-0.993$ )
f. Superheat up to $650^{\circ} \mathrm{F}$ :: $\quad 0.86$ (Range 0.861-0.988)
g. Superheat up to $700^{\circ} \mathrm{F}$ :: $\quad 0.84$ (Range 0.841-0.963)
h. Superheat up to $750^{\circ} \mathrm{F}$.: $\quad 0.82$ (Range 0.823-0.903)
i. Superheat up to $800^{\circ} \mathrm{F}$.: $\quad 0.80$ (Range $0.805-0.863$ )
j. Superheat up to $850^{\circ} \mathrm{F}$.: $\quad 0.78$ (Range $0.786-0.836$ )
k. Superheat up to $900^{\circ} \mathrm{F}$.: $\quad 0.75$ (Range 0.753-0.813)
l. Superheat up to $950^{\circ} \mathrm{F}$.: $\quad 0.72$ (Range 0.726-0.792)
m . Superheat up to $1000^{\circ} \mathrm{F}$.: $\quad 0.70$ (Range $0.704-0.774$ )
4. Gas and Vapor Properties are shown in the table on the preceding page:

### 5.31 Steel Pipe Equations

$A=0.785 \times I D^{2}$
$W_{P}=10.6802 \times T \times(O D-T)$
$W_{W}=0.3405 \times I D^{2}$
$O S A=0.2618 \times O D$
$I S A=0.2618 \times I D$
$A_{M}=0.785 \times\left(O D^{2}-I D^{2}\right)$
$\mathrm{A}=$ Cross-Sectional Area (Square Inches)
$\mathrm{W}_{\mathrm{P}}=$ Weight of Pipe per Foot (Pounds)
$\mathrm{W}_{\mathrm{W}}=$ Weight of Water per Foot (Pounds)
$\mathrm{T}=$ Pipe Wall Thickness (Inches)
ID = Inside Diameter (Inches)
OD = Outside Diameter (Inches)
OSA $=$ Outside Surface Area per Foot (Square Feet)
ISA $=$ Inside Surface Area per Foot (Square Feet)
$\mathrm{A}_{\mathrm{M}}=$ Area of the Metal (Square Inches)

### 5.32 English/Metric Cooling and Heating Equations Comparison

$H_{S}=1.08 \frac{\mathrm{Btu} \mathrm{Min}}{\mathrm{Hr} \mathrm{Ft}^{3}{ }^{\circ} \mathrm{F}} \times C F M \times \Delta T$
$H_{S M}=72.42 \frac{\mathrm{KJMin}}{\mathrm{Hr} \mathrm{M}^{3}{ }^{\circ} \mathrm{C}} \times C M M \times \Delta T_{M}$
$H_{L}=0.68 \frac{B t u \operatorname{Min} L b \text { DA }}{\mathrm{Hr} \mathrm{Ft}^{3} \mathrm{Gr} \mathrm{H}_{2} \mathrm{O}} \times C F M \times \Delta W$
$H_{L M}=177,734.8 \frac{K J \operatorname{Min~Kg~DA}}{\mathrm{Hr} \mathrm{M}^{3} \mathrm{Kg} \mathrm{H}_{2} \mathrm{O}} \times C M M \times \Delta W_{M}$
$H_{T}=4.5 \frac{\mathrm{Lb} \mathrm{Min}}{H r ~ F t^{3}} \times C F M \times \Delta h$
$H_{T M}=72.09 \frac{\mathrm{Kg} \mathrm{Min}}{\mathrm{Hr} \mathrm{M}^{3}} \times C M M \times \Delta h_{M}$

$$
\begin{aligned}
& H_{T}=H_{S}+H_{L} \\
& H_{T M}=H_{S M}+H_{L M}
\end{aligned}
$$

$$
\begin{aligned}
& H_{M}=250.8 \frac{\text { KJMin }^{\text {Hr Liters }}{ }^{\circ} \mathrm{C}}{} \times L P M \times \Delta T_{M} \\
& \frac{A C}{H R}=\frac{C F M \times 60 \frac{\mathrm{Min}}{\mathrm{Hr}}}{V O L U M E} \\
& \frac{A C}{H R_{M}}=\frac{C M M \times 60 \frac{\text { Min }}{\mathrm{Hr}}}{V O L U M E_{M}} \\
& { }^{\circ} \mathrm{C}=\frac{{ }^{\circ} \mathrm{F}-32}{1.8} \\
& { }^{\circ} \mathrm{F}=1.8^{\circ} \mathrm{C}+32 \\
& \mathrm{H}_{\mathrm{S}} \quad=\text { Sensible Heat (Btu/Hr.) } \\
& \mathrm{H}_{\mathrm{SM}} \quad=\text { Sensible Heat }(\mathrm{KJ} / \mathrm{Hr} .) \\
& \mathrm{H}_{\mathrm{L}} \quad=\text { Latent Heat (Btu/Hr.) } \\
& \mathrm{H}_{\mathrm{LM}} \quad=\text { Latent Heat (KJ/Hr.) } \\
& \mathrm{H}_{\mathrm{T}} \quad=\text { Total Heat (Btu/Hr.) } \\
& \mathrm{H}_{\mathrm{TM}} \quad=\text { Total Heat }(\mathrm{KJ} / \mathrm{Hr} \text {. }) \\
& \mathrm{H} \quad=\text { Total Heat (Btu/Hr.) } \\
& \mathrm{H}_{\mathrm{M}} \quad=\text { Total Heat }(\mathrm{KJ} / \mathrm{Hr} .) \\
& \Delta \mathrm{T} \quad=\text { Temperature Difference ( }{ }^{\circ} \mathrm{F} \text {.) } \\
& \Delta \mathrm{T}_{\mathrm{M}} \quad=\text { Temperature Difference }\left({ }^{\circ} \mathrm{C} .\right) \\
& \Delta \mathrm{W} \quad=\quad \text { Humidity Ratio Difference (Gr. } \mathrm{H}_{2} \mathrm{O} / \text { Lb.DA) } \\
& \left.\Delta \mathrm{W}_{\mathrm{M}} \quad=\text { Humidity Ratio Difference (Kg. } \mathrm{H}_{2} \mathrm{O} / \mathrm{Kg} . \mathrm{DA}\right) \\
& \Delta \mathrm{h} \quad=\text { Enthalpy Difference (Btu/Lb.DA) } \\
& \Delta \mathrm{h} \quad=\text { Enthalpy Difference (KJ/Lb.DA) } \\
& \text { CFM } \quad=\text { Air Flow Rate (Cubic Feet per Minute) } \\
& \text { CMM } \quad=\quad \text { Air Flow Rate (Cubic Meters per Minute) } \\
& \text { GPM } \quad=\text { Water Flow Rate (Gallons per Minute) } \\
& \text { LPM } \quad=\text { Water Flow Rate (Liters per Minute) } \\
& \text { AC/HR. } \quad=\text { Air Change Rate per Hour, English } \\
& \mathrm{AC} / \mathrm{HR}_{\mathrm{M}} \quad=\quad \text { Air Change Rate per Hour, Metric } \\
& \text { AC/HR. } \quad=A C / H R .{ }_{\mathrm{m}} \\
& \text { VOLUME } \quad=\text { Space Volume (Cubic Feet) } \\
& \text { VOLUME }_{M} \quad=\text { Space Volume (Cubic Meters) } \\
& \mathrm{KJ} / \mathrm{Hr} \quad=\mathrm{Btu} / \mathrm{Hr} \times 1.055 \\
& \mathrm{CMM}=\mathrm{CFM} \times 0.02832 \\
& \mathrm{LPM}=\mathrm{GPM} \times 3.785 \\
& \mathrm{KJ} / \mathrm{Lb}=\mathrm{Btu} / \mathrm{Lb} \times 2.326 \\
& \text { Meters }=\text { Feet } \times 0.3048 \\
& \text { Sq. Meters } \quad=\text { Sq. Feet } \times 0.0929 \\
& \text { Cu. Meters }=\text { Cu. Feet } \times 0.02832 \\
& \mathrm{Kg} \quad=\text { Pounds } \times 0.4536
\end{aligned}
$$

$1.0 \mathrm{GPM}=500 \mathrm{Lb}$. Steam $/ \mathrm{Hr}$.
1.0 Lb.Stm. $/ \mathrm{Hr}=0.002 \mathrm{GPM}$
$1.0 \mathrm{Lb} . \mathrm{H}_{2} \mathrm{O} / \mathrm{Hr}=1.0 \mathrm{Lb}$. Steam $/ \mathrm{Hr}$.
$\mathrm{Kg} / \mathrm{Cu}$. Meter $=$ Pounds $/ \mathrm{Cu}$. Feet $\times 16.017$ (Density)
Cu. Meters $/ \mathrm{Kg}=\mathrm{Cu}$. Feet/Pound $\times 0.0624$ (Specific Volume)
$\mathrm{Kg} \mathrm{H}_{2} \mathrm{O} / \mathrm{Kg} \mathrm{DA}=\mathrm{Gr} \mathrm{H}_{2} \mathrm{O} / \mathrm{Lb} \mathrm{DA} / 7,000=\mathrm{Lb} . \mathrm{H}_{2} \mathrm{O} / \mathrm{Lb}$ DA

### 5.33 Cooling Tower Equations

$C=\frac{(E+D+B)}{(D+B)}$
$B=\frac{E-[(C-1) \times D]}{(C-1)}$
$E=G P M_{\text {COND. }} \times R \times 0.0008$
$D=G P M_{\text {COND. }} \times 0.0002$
$R=E W T-L W T$
B $=$ Blowdown (GPM)
$\mathrm{C}=$ Cycles of Concentration
$\mathrm{D}=\operatorname{Drift}$ (GPM)
$\mathrm{E}=$ Evaporation (GPM)
EWT $=$ Entering Water Temperature ( ${ }^{\circ} \mathrm{F}$.)
LWT $=$ Leaving Water Temperature ( ${ }^{\circ} \mathrm{F}$.)
$\mathrm{R}=$ Range ( ${ }^{\circ} \mathrm{F}$.)

### 5.34 Motor Drive Formulas

$D_{F P} \times R P M_{F P}=D_{M P} \times R P M_{M P}$
$B L=\left[\left(D_{F P}+D_{M P}\right) \times 1.5708\right]+(2 \times \mathrm{L})$
$\mathrm{D}_{\mathrm{FP}} \quad=$ Fan Pulley Diameter
$\mathrm{D}_{\mathrm{MP}}=$ Motor Pulley Diameter
$\mathrm{RPM}_{\mathrm{FP}}=$ Fan Pulley RPM
RPM $_{\text {MP }}=$ Motor Pulley RPM
BL $\quad=$ Belt Length
L $\quad=$ Center-to-Center Distance of Fan and Motor Pulleys

